

Validation, Synthesis and Performance Evaluation of

Embedded Systems

using UPPAAL —

Kim Guldstrand Larsen





Timed Automata







UPPAAL (1995-)

@AALborg

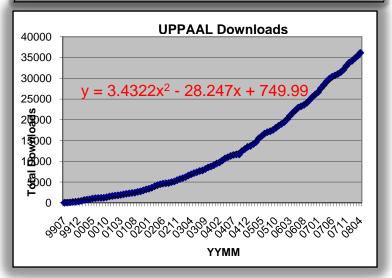
- Kim G Larsen
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- Gerd Behrman
- Marius Mikucionis
- Iacob I. Rasmussen
- Arne Skou
- Brian Nielsen
- Shuhao Li

@Elsewhere

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- Pavel Krcal
- Leonid Mokrushin
- Shi Xiaochun





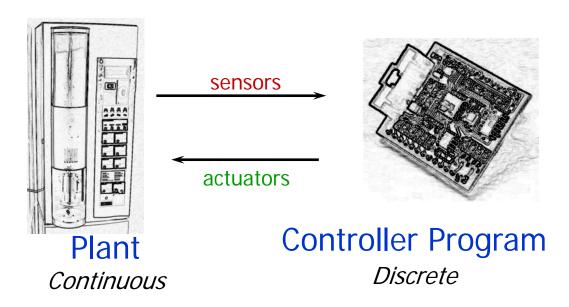


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Real Time Systems



Eg.: Realtime Protocols
Pump Control
Air Bags
Robots
Cruise Control
ABS
CD Players

Production Lines

Real Time System

A system where correctness not only depends on the logical order of events but also on their timing!!

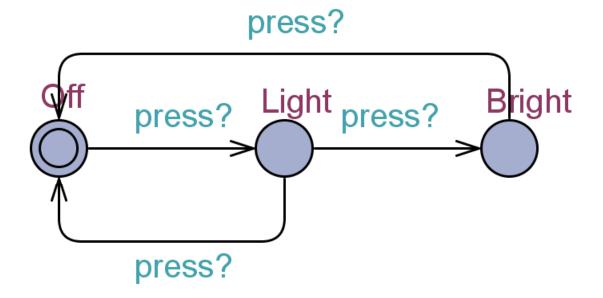








A Dumb Light Controller



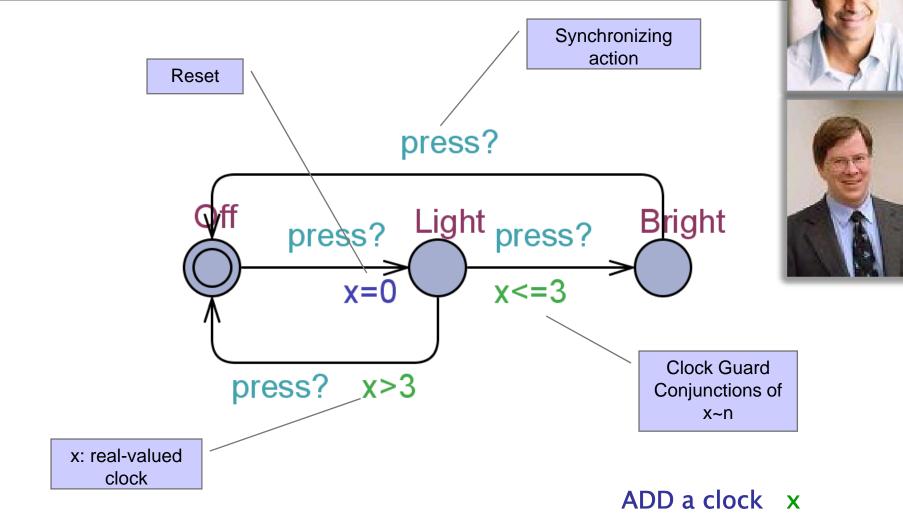








Timed Automata [Alur & Dill'89]





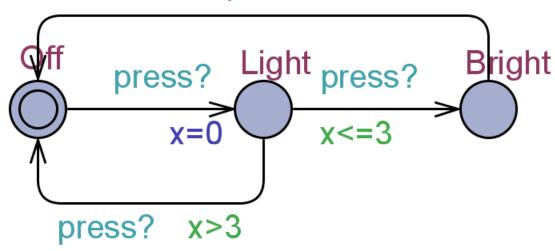






A Timed Automata (Semantics)

press?



States:

(location, x=v) where $v \in \mathbf{R}$

Transitions:

```
(Off, x=0)
delay 4.32 \rightarrow (Off, x=4.32)
press? \rightarrow (Light, x=0)
delay 2.51 \rightarrow (Light, x=2.51)
press? \rightarrow (Bright, x=2.51)
```

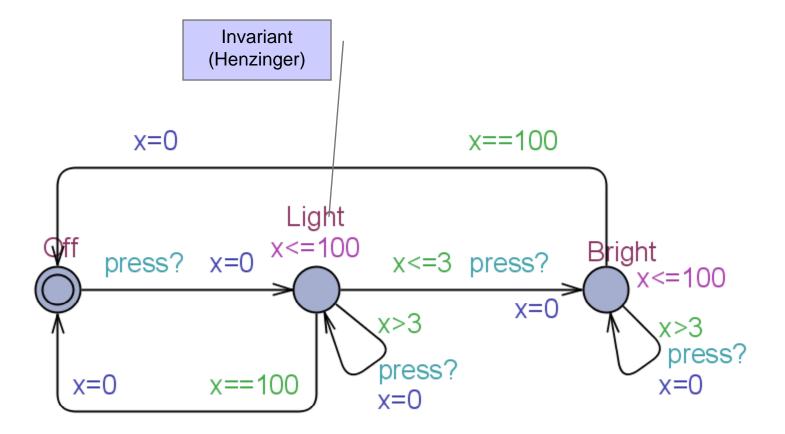








Intelligent Light Controller



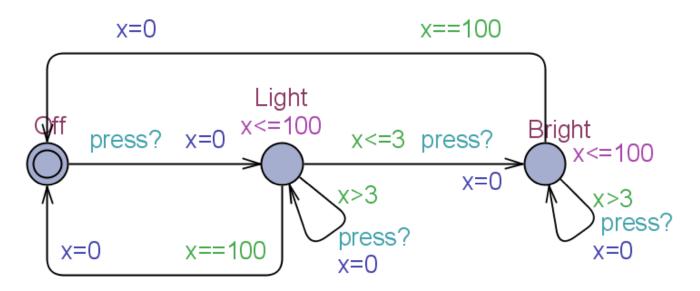




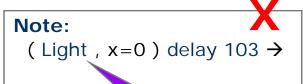




Intelligent Light Controller



Transitions: (Off, x=0) delay 4.32 \Rightarrow (Off, x=4.32) press? \Rightarrow (Light, x=0) delay 4.51 \Rightarrow (Light, x=4.51) press? \Rightarrow (Light, x=0) \Rightarrow (Light, x=0) \Rightarrow (Off, x=0)



Invariants ensures progress



Constraints

Definition

Let X be a set of clock variables. The set $\mathcal{B}(X)$ of clock constraints ϕ is given by the grammar:

$$\phi ::= x \le c \mid c \le x \mid x < c \mid c < x \mid \phi_1 \land \phi_2$$

where $c \in \mathbb{N}$ (or \mathbb{Q}).









Clock Valuations and Notation

Definition

The set of *clock valuations*, \mathbb{R}^C is the set of functions $C \to \mathbb{R}_{\geq 0}$ ranged over by u,v,w,\ldots

Notation

Let $u \in \mathbb{R}^C$, $r \subseteq C$, $d \in \mathbb{R}_{\geq 0}$, and $g \in \mathcal{B}(X)$ then:

- ullet $u+d\in\mathbb{R}^C$ is defined by (u+d)(x)=u(x)+d for any clock x
- $u[r] \in \mathbb{R}^C$ is defined by u[r](x) = 0 when $x \in r$ and u[r](x) = u(x) for $x \notin r$.
- $u \models g$ denotes that g is satisfied by u.



Timed Automata

Definition

A timed automaton A over clocks C and actions Act is a tuple (L, l_0, E, I) , where:

- L is a finite set of locations
- $l_0 \in L$ is the initial location
- $E \subseteq L \times \mathcal{B}(X) \times Act \times \mathcal{P}(C) \times L$ is the set of edges
- $I:L\longrightarrow \mathcal{B}(X)$ assigns to each location an invariant









Semantics

Definition

The semantics of a timed automaton A is a labelled transition system with state space $L \times \mathbb{R}^C$ with initial state $(l_0, u_0)^*$ and with the following transitions:

•
$$(l,u) \xrightarrow{\epsilon(d)} (l,u+d)$$
 iff $u \in I(l)$ and $u+d \in I(l)$,

•
$$(l,u) \xrightarrow{a} (l',u')$$
 iff there exists $(l,g,a,r,l') \in E$ such that

$$-u \models g$$
,

$$-u'=u[r]$$
, and

$$-u' \in I(l')$$

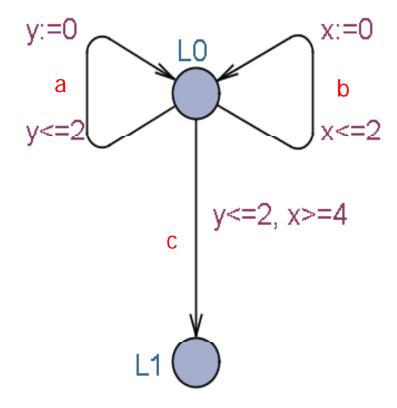








 $^{^*}u_0(x)=0$ for all $x\in C$



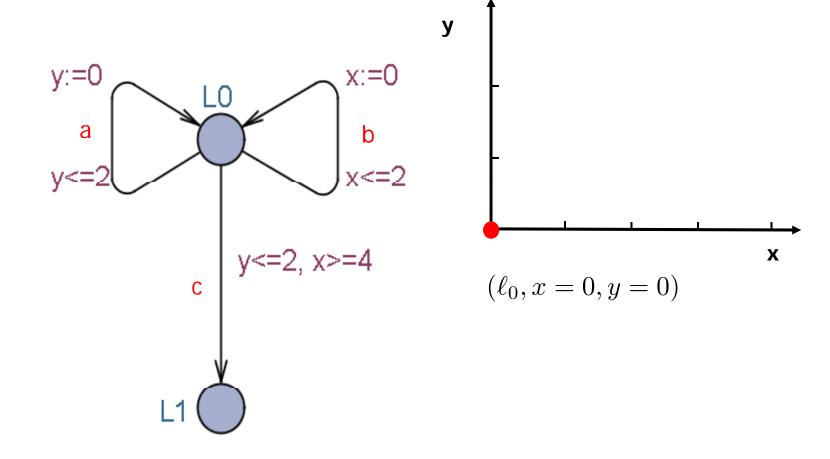
Is L1 reachable?







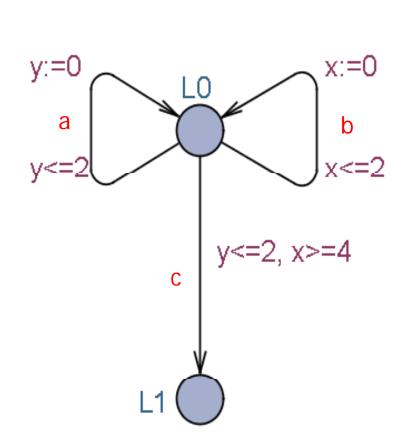


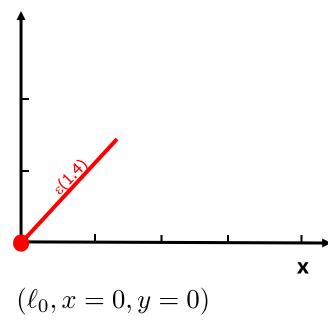












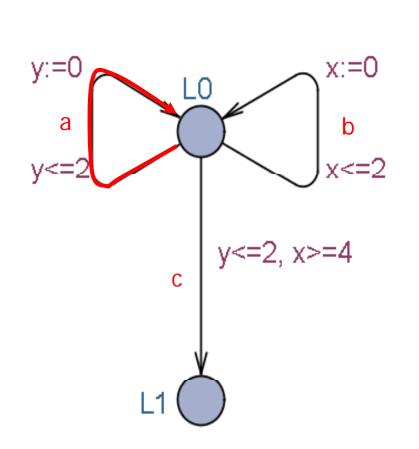
$$(\ell_0, x = 0, y = 0)$$

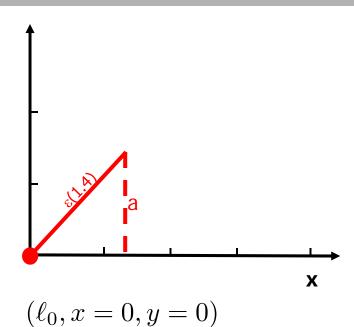
$$\xrightarrow{1.4} (\ell_0, x = 1.4, y = 1.4)$$











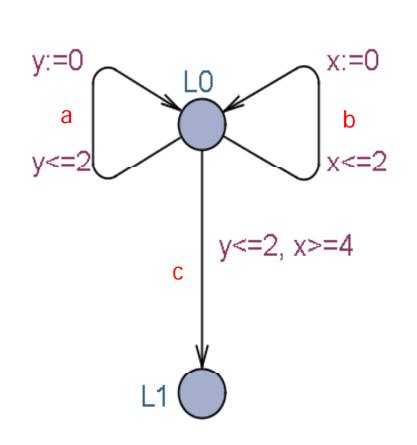
$$\frac{\stackrel{1.4}{\longrightarrow} (\ell_0, x = 1.4, y = 1.4)}{\stackrel{a}{\longrightarrow} (\ell_0, x = 1.4, y = 0)}$$

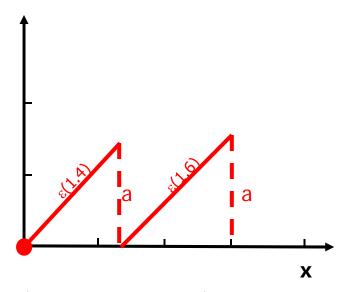












$$(\ell_0, x = 0, y = 0)$$

$$\xrightarrow{1.4} (\ell_0, x = 1.4, y = 1.4)$$

$$\xrightarrow{a} (\ell_0, x = 1.4, y = 0)$$

$$\xrightarrow{1.6} (\ell_0, x = 3.0, y = 1.6)$$

$$\xrightarrow{a} (\ell_0, x = 3.0, y = 0)$$

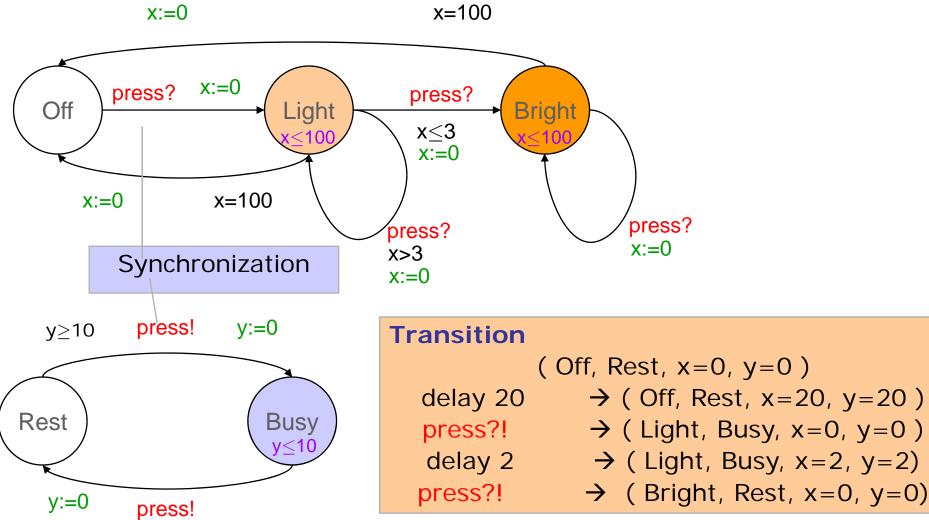








Networks Light Controller & User









Network Semantics

$$T_1 \|_{X} T_2 = (S_1 \times S_2, \rightarrow, S_0^1 \|_{X} S_0^2)$$
 where

$$\frac{s_1 \xrightarrow{\mu}_1 s_1'}{s_1 \|_X s_2 \xrightarrow{\mu}_1 s_1 \|_X s_2}$$

$$\frac{S_2 \xrightarrow{\mu} S_2 S_2}{S_1 \|_{X} S_2 \xrightarrow{\mu} S_1 \|_{X} S_2}$$

$$\frac{S_1 \xrightarrow{a!} S_1 \xrightarrow{s_2} S_2}{S_1 \parallel_X S_2 \xrightarrow{\tau} S_1 \parallel_X S_2}$$

$$\frac{S_1 \xrightarrow{e(d)} S_1 S_1 S_2 \xrightarrow{e(d)} S_2 S_2}{S_1 \|_{X} S_2 \xrightarrow{e(d)} S_1 \|_{X} S_2}$$









Network Semantics

(URGENT synchronization)

+ Urgent synchronization $T_1 \|_{X} T_2 = (S_1 \times S_2, \rightarrow, S_0^1 \|_{X} S_0^2)$ where

$$\frac{S_1 \xrightarrow{\mu}_1 S_1}{S_1 \parallel_{X} S_2 \xrightarrow{\mu}_1 S_1 \parallel_{X} S_2}$$

$$\frac{S_2 \xrightarrow{\mu} S_2 S_2}{S_1 \parallel_{X} S_2 \xrightarrow{\mu} S_1 \parallel_{X} S_2}$$

$$\begin{array}{c}
S_1 \xrightarrow{a!} S_1 \xrightarrow{s_2} S_2 \xrightarrow{a?} S_2 \xrightarrow{\tau} S_1 \parallel_X S_2 \xrightarrow{\tau} S_1 \parallel_X S_2 \xrightarrow{\forall d' < d, \forall u \in UAct:}
\end{array}$$

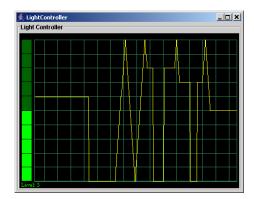
$$S_{1} \xrightarrow{e(d)} S_{1} \xrightarrow{s_{1}} S_{1} \xrightarrow{s_{2}} S_{2} \xrightarrow{e(d)} S_{1} \xrightarrow{s_{1}} S_{2} \xrightarrow{e(d)} S_{1} \xrightarrow{s_{2}} S_{2}$$

$$S_{1} \parallel_{X} S_{2} \xrightarrow{e(d)} S_{1} \otimes S_{1} \otimes S_{1} \otimes S_{2} \xrightarrow{e(d)} S_{1} \otimes S_$$









Light Control Interface

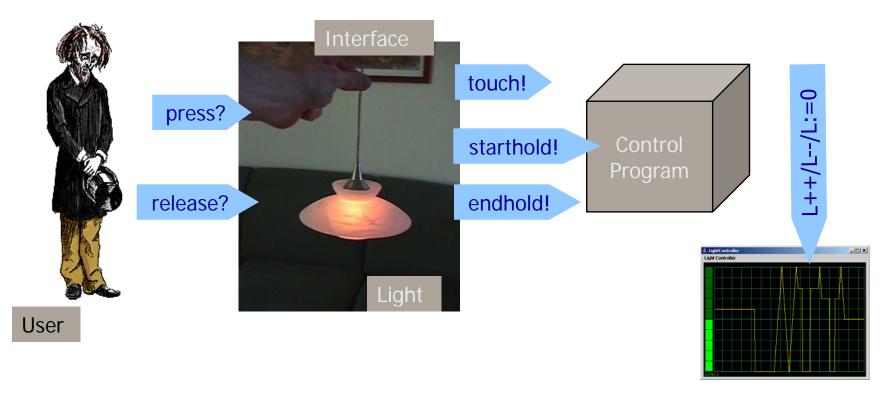




Light Control Interface

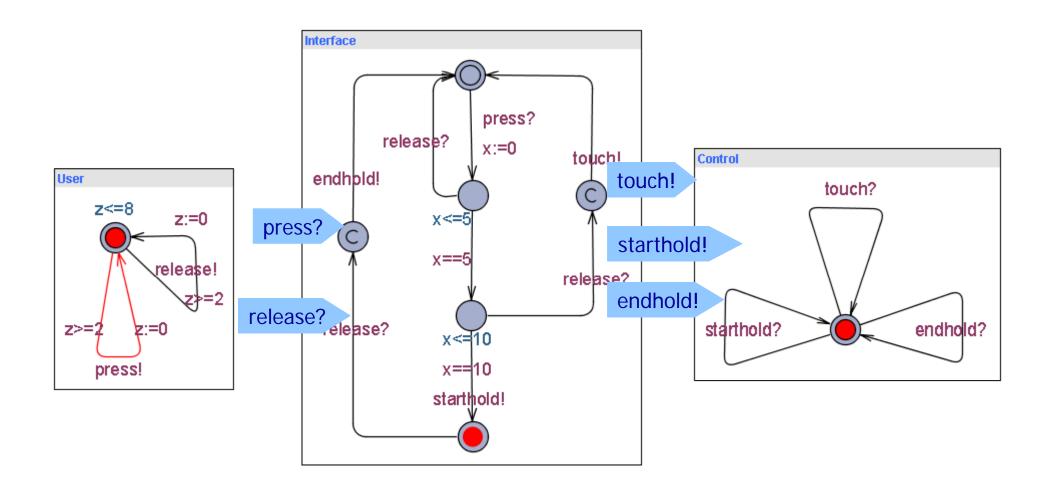
```
press? d release? \rightarrow touch! 0.5 \le d \le 1 press? 1 \rightarrow starthold! press? d release? \rightarrow endhold! d >1
```

23



Light Control Interface Dim startho Switch on:= 1 L<Max Interface on==0 endi touch? press? L:=OL release? x:=0 touchl endhold! touch! x<=5 press? Control starthold! Program x = = 5release? $\Gamma + + / \Gamma - - / \Gamma = 0$ endhold! release? x<=10 x==10 starthold! User ARTIST PhD School, Beijing, 2011

Light Control Network



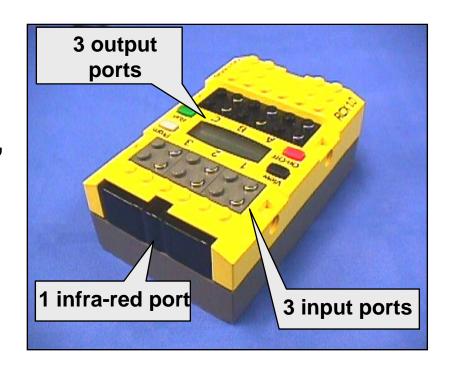
Brick Sorting





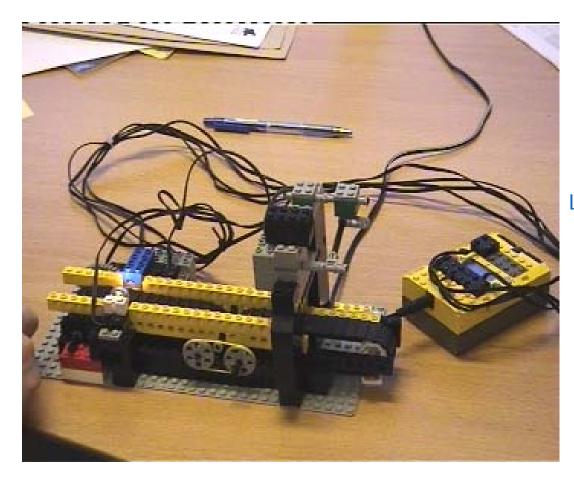
LEGO Mindstorms/RCX

- Sensors: temperature, light, rotation, pressure.
- Actuators: motors, lamps,
- Virtual machine:
 - 10 tasks, 4 timers,16 integers.
- Several Programming Languages:
 - NotQuiteC, Mindstorm, Robotics, legOS, etc.



A Real Real Timed System

The Plant
Conveyor Belt
&
Bricks

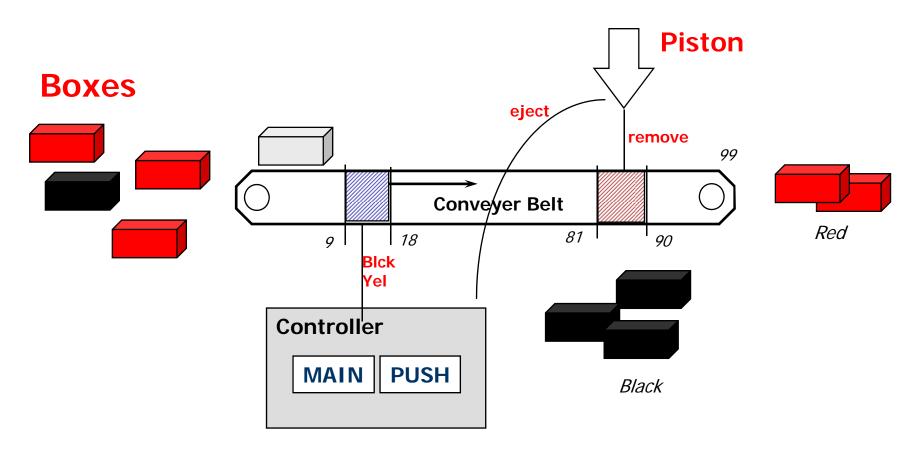


Controller
Program
LEGO MINDSTORM

First UPPAAL model

Sorting of Lego Boxes

Ken Tindell



Exercise: Design Controller so that black boxes are being pushed out

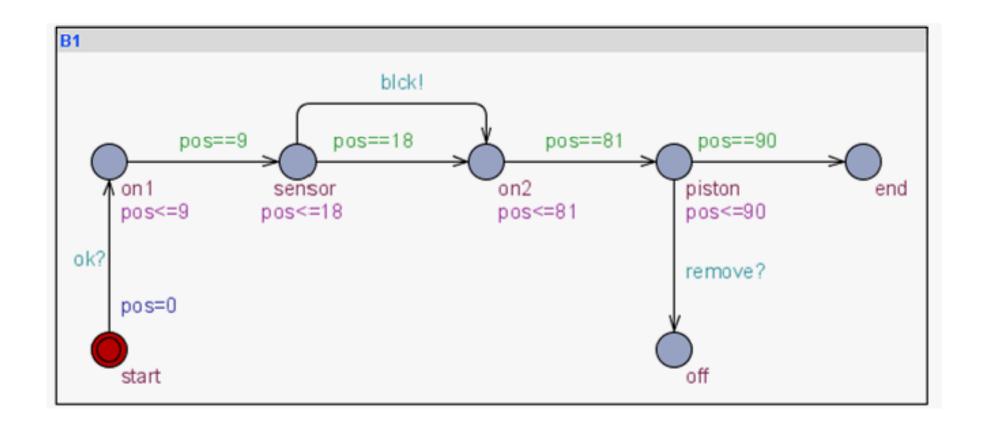
NQC programs

```
int active;
int DELAY;
int LIGHT_LEVEL;
```

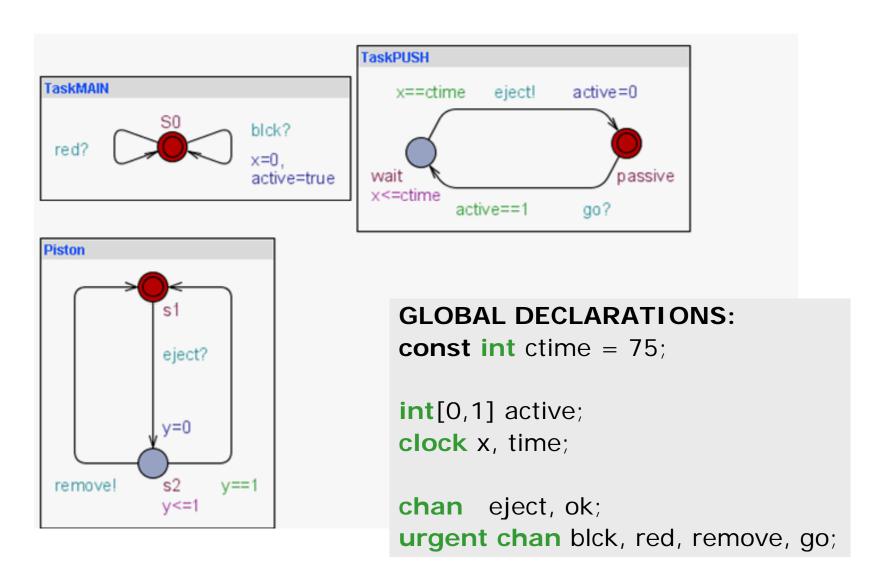
```
task MAIN{
 DELAY=75;
 LIGHT LEVEL=35;
 active=0;
 Sensor(IN 1, IN LIGHT);
 Fwd(OUT A,1);
 Display(1);
 start PUSH;
 while(true){
wait(IN 1<=LIGHT LEVEL);</pre>
   ClearTimer(1);
   active=1;
   PlaySound(1);
wait(IN 1>LIGHT LEVEL);
}
```

```
task PUSH{
  while(true){
    wait(Timer(1)>DELAY && active==1);
    active=0;
    Rev(OUT_C,1);
    Sleep(8);
    Fwd(OUT_C,1);
    Sleep(12);
    Off(OUT_C);
}
```

A Black Brick

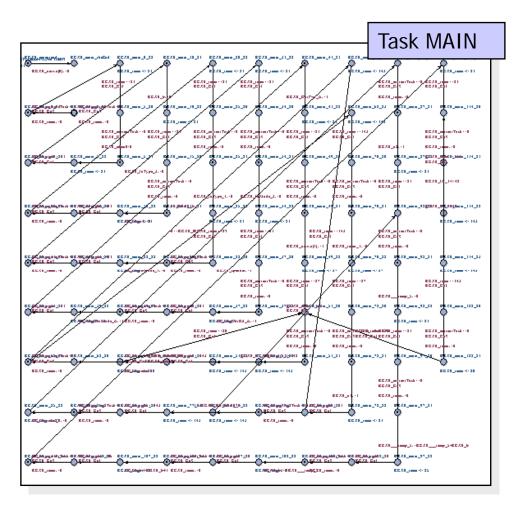


Control Tasks & Piston



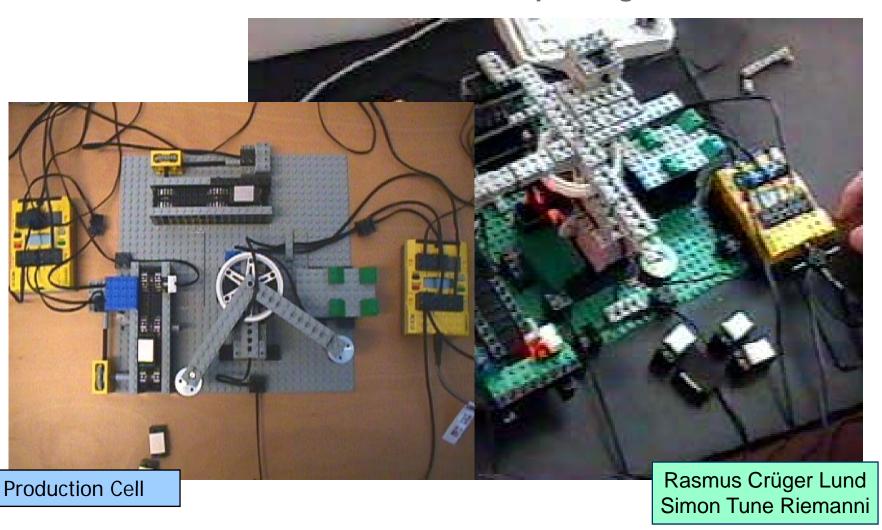
From RCX to UPPAAL – and back

- Model includes Round-Robin Scheduler.
- Compilation of RCX tasks into TA models.
- Presented at ECRTS 2000 in Stockholm.
- From UPPAAL to RCX: Martijn Hendriks.



The Production Cell in LEGO

Course at DTU, Copenhagen



Case Studies: Controllers

- Gearbox Controller [TACAS'98]
- Bang & Olufsen Power Controller [RTPS'99,FTRTFT'2k]
- SIDMAR Steel Production Plant [RTCSA'99, DSVV'2k]
- Real-Time RCX Control-Programs [ECRTS'2k]
- Terma, Verification of Memory Management for Radar (2001)
- Scheduling Lacquer Production (2005)
- Memory Arbiter Synthesis and Verification for a Radar Memory Interface Card [NJC'05]
- Adapting the UPPAAL Model of a Distributed Lift System, 2007
- Analyzing a χ model of a turntable system using Spin, CADP and Uppaal, 2006
- Designing, Modelling and Verifying a Container Terminal System Using UPPAAL, 2008
- Model-based system analysis using Chi and Uppaal: An industrial case study, 2008
- Climate Controller for Pig Stables, 2008
- Optimal and Robust Controller for Hydralic Pump, 2009



Case Studies: Protocols

- Philips Audio Protocol [HS'95, CAV'95, RTSS'95, CAV'96]
- Bounded Retransmission Protocol [TACAS'97]
- Bang & Olufsen Audio/Video Protocol [RTSS'97]
- TDMA Protocol [PRFTS'97]
- Lip-Synchronization Protocol [FMICS'97]
- ATM ABR Protocol [CAV'99]
- ABB Fieldbus Protocol [ECRTS'2k]
- IEEE 1394 Firewire Root Contention (2000)
- Distributed Agreement Protocol [Formats05]
- Leader Election for Mobile Ad Hoc Networks [Charme05]
- Analysis of a protocol for dynamic configuration of IPv4 link local addresses using Uppaal, 2006
- Formalizing SHIM6, a Proposed Internet Standard in UPPAAL, 2007
- Verifying the distributed real-time network protocol RTnet using Uppaal, 2007
- Analysis of the Zeroconf protocol using UPPAAL, 2009
- Analysis of a Clock Synchronization Protocol for Wireless Sensor Networks, 2009
- Model Checking the FlexRay Physical Layer <u>Protocol</u>, 2010



Using UPPAAL as Back-end

- Vooduu: verification of object-oriented designs using Uppaal, 2004
- Moby/RT: A Tool for Specification and Verification of Real-Time Systems, 2000
- Formalising the ARTS MPSOC Model in UPPAAL, 2007
- Timed automata translator for Uppaal to PVS
- Component-Based Design and Analysis of Embedded Systems with UPPAAL PORT, 2008
- Verification of COMDES-II Systems Using UPPAAL with Model Transformation, 2008
- METAMOC: Modular WCET Analysis Using UPPAAL, 2010.



www.uppaal.{com,org}

